

Dead line : 93/1/17

1:

a) write the exact differential conditions for equation below:

$$F=F(x,y) \rightarrow dF = \left( \frac{\partial F}{\partial x} \right)_y dx + \left( \frac{\partial F}{\partial y} \right)_x dy = F_x dx + F_y dy$$

b) check those conditions for this differential and show that is it exact or not  $dF = (x^2 + y)dx + 2x dy$

C) show that if dF is exact differential then:  $\oint F \cdot dr = 0$

2:

The time independent form of schrodinger equation is :

$$\frac{-\hbar^2}{2m} \nabla^2 \psi = E\psi, \text{ ( } \psi \text{ is called wave function)}$$

a) use separation of variable in spherical coordinate,

b) do above in cylindrical coordinate,

c) do above in cartesian coordinate,

d) Solve the equation part C for these boundary conditions:

The wave function is required to vanish at "each" surface of rectangular box of side a , b & c

{ This condition imposes constraints on the separation constant and therefor on the energy "E" . show the smallest value of " E" for which such a solution can be obtain?

$$E = \frac{\hbar^2 \pi^2}{2m} \left( \frac{1}{a^2} + \frac{1}{b^2} + \frac{1}{c^2} \right) \quad \}$$

9.2.2/9.2.3

9.3.1/9.3.8

9.5.9/9.5.10

10.1.2/10.1.3/10.1.5/10.1.7/10.1.11

10.2.1/10.2.3/10.2.4/10.2.4

10.3.1/10.3.3/10.3.4